

問答題

1. 單利的計算基礎僅為每期的原始本金金額；複利計算的基礎則為期初的本金金額加上先前各期累積的利息，若期間在兩期以上，則本金所產生的利息會加入本金繼續再衍生新的利息，亦即利上加利。

因此，在利率條件相同的情況下，複利計算的結果，金額會較單利計算結果為大。

2. 終值為某筆或多筆投資金額，經由複利計算後，在未來特定日所累積變成的金額。現值則是未來某筆或多筆金額，經由複利計算後，在今日折現後的金額。
3. 相等間隔時間連續支付 (或收取) 相等金額，且每期計息之利率也相同，即所謂的年金。由於各期金額的收付可於期初或期末為之，因此年金又區分為二類，於期末收付者，稱為普通年金；於期初收付者，稱為到期年金。
4. 所謂遞延年金，係指於若干期後才發生收付的年金。例如遞延 3 年之五年普通年金，意味前三年並無金額收付的發生，而第一期的收付是發生於第四年底，且連續 5 年。
5. 債券的面額、票面利率、債券的發行的日期、付息日期、到期日與發行時之市場利率。

選擇題

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|---------|---------|---------|
| 1. (C) | 2. (D) | 3. (D) |
| 4. (D) | 5. (B) | 6. (B) |
| 7. (C) | 8. (B) | 9. (C) |
| 10. (B) | 11. (A) | 12. (C) |
| 13. (B) | 14. (C) | 15. (A) |
| 16. (D) | 17. (C) | 18. (C) |
| 19. (C) | | |

練習題

1. (1) $\$100,000 + \$100,000 \times 4\% \times 6 = \$124,000$
 (2) $\$100,000 \times (1 + 0.04)^6 = \$100,000 \times 1.26532 = \$126,532$
2. (1) $\$60,000 \times (\text{Future Value of 1, 4 periods, 12\%})$
 $= \$60,000 \times 1.57352 = \$94,411$
 (2) $\$60,000 \times (\text{Future Value of 1, 8 periods, 6\%})$
 $= \$60,000 \times 1.59385 = \$95,631$
 (3) $\$60,000 \times (\text{Future Value of 1, 16 periods, 3\%})$
 $= \$60,000 \times 1.60471 = \$96,283$
3. $\$1,300,000 \times (\text{Present Value of 1, 7 periods, 8\%})$
 $= \$1,300,000 \times 0.58349 = \$758,537$
4. (1) $\$130,000 \times (\text{Future Value of 1, 6 periods, 12\%})$
 $= \$130,000 \times 1.97382 = \$256,597$
 (2) $\$45,000 \times (\text{Present Value of 1, 2 periods, 10\%})$
 $= \$45,000 \times 0.82645 = \$37,190$
 (3) $\$30,000 \times (\text{Future Value of 1, 6 periods, 2\%})$
 $= \$30,000 \times 1.12616 = \$33,785$
 (4) $\$250,000 \times (\text{Present Value of 1, 5 periods, 15\%})$
 $= \$250,000 \times 0.49718 = \$124,295$
5. $\$10,000 \times (\text{Future Value of an Ordinary Annuity, 6 periods, 5\%})$
 $= \$10,000 \times 6.80191 = \$68,020$
6. $\$14,000,000 \div (\text{Future Value of an Ordinary Annuity, 11 periods, 8\%})$
 $= \$14,000,000 \div 16.64549 = \$841,069$
7. $\$1,000,000 \div (\text{Future Value of an Annuity Due, 6 periods, 4\%})$
 $= \$1,000,000 \div 6.89829 = \$144,963$
8. $\$108,871 \times (\text{Future Value of an Annuity Due, } N \text{ periods, 10\%}) = \$840,000$
 $(\text{Future Value of an Annuity Due, } N \text{ periods, 10\%}) = 7.71555$
 $(\text{Future Value of an Ordinary Annuity, } N \text{ periods, 10\%}) \times 1.1 = 7.71555$
 故 $(\text{Future Value of an Ordinary Annuity, } N \text{ periods, 10\%}) = 7.01414$
 When $N=5 \rightarrow 6.105100$ (不足) ; When $N=6 \rightarrow 7.715610$
 故花花要存 6 年方可購買價值 \$840,000 的東西，即 $N = 6$ (年)

$$\begin{aligned}
 9. \quad & \$500,000 \times 4\% \times (\text{Present Value of an Ordinary Annuity, 8 periods, 3\%}) + \$500,000 \times (\text{Present Value of 1, 8 periods, 3\%}) \\
 & = \$20,000 \times 7.01969 + \$500,000 \times 0.78941 = \$535,099
 \end{aligned}$$

$$\begin{aligned}
 10. \quad & \$125,000 \times (\text{Present Value of an Ordinary Annuity, 5 periods, 12\%}) \\
 & \$125,000 \times 3.60478 = \$450,597
 \end{aligned}$$

11. 店面甲：\$50,000,000

店面乙：

$$\begin{aligned}
 \text{租金現值} & : \$7,000,000 \times (\text{Present Value of an Annuity Due, 20 periods, 15\%}) \\
 & = \$7,000,000 \times 7.19823 = \underline{\$50,387,610}
 \end{aligned}$$

店面丙：

$$\begin{aligned}
 \text{租金現值} & = \$860,000 \times (\text{Present Value of an Ordinary Annuity, 20 periods, 15\%}) \\
 & = \$860,000 \times 6.25933 = \$5,383,024
 \end{aligned}$$

$$\text{店面丙之淨現值} = \$55,000,000 - \$5,383,024 = \underline{\$49,616,976}$$

由於店面丙之現值最低，故哲普公司應選擇店面丙。

$$\begin{aligned}
 12. \quad & \$56,000 \times (\text{Present Value of an Annuity Due, 36 periods, 2\%}) \\
 & = \$56,000 \times 25.99862 = \$1,455,923
 \end{aligned}$$

$$\begin{aligned}
 13. \quad & \$7,000 \times (\text{Present Value of an Annuity Due, 6 periods, 2.5\%}) \\
 & = \$7,000 \times 5.64583 = \$39,521
 \end{aligned}$$

分期付款現值 \$39,521 大於現購價 \$39,000，故直接購買較划算。

$$\begin{aligned}
 14. \quad & \$340,000 \times (\text{Present Value of an Annuity Due, 7 periods, 8\%}) \\
 & = \$340,000 \times 5.62288 = \$1,911,779
 \end{aligned}$$

$$\begin{aligned}
 & \$1,911,779 \times (\text{Present Value of an 1, 5 periods, 8\%}) \\
 & = \$1,911,779 \times 0.68058 = \$1,301,119
 \end{aligned}$$

$$\begin{aligned}
 & \$1,301,119 \div (\text{Future Value of an Ordinary Annuity, 8 periods, 8\%}) \\
 & = \$1,301,119 \div 10.63663 = \$122,324
 \end{aligned}$$

$$\begin{aligned}
 15. \quad & \$70,000 \times (\text{Present Value of an Annuity Due, 10 periods, 4\%}) \times (\text{Present Value of 1, 2 periods, 8\%}) \\
 & = \$70,000 \times 8.43533 \times 0.85734 = \$506,236
 \end{aligned}$$

$$\text{現購價} = \$150,000 + \$506,236 = \$656,236$$